

Z' models with less-minimal flavour violation

Lorenzo Calibbi, Andreas Crivellin, Fiona Kirk, Claudio Andrea Manzari, Leonardo Vernazza

Aim

Tensions that flavour physics attempts to address:

- ε'/ε :

$$K_L \propto K_2 + \bar{e} K_1$$

indirect: ε
 $\rightarrow \pi\pi$

direct : ε'
 $\rightarrow \pi\pi$
- Z decays ($Z \rightarrow \bar{\mu}\mu$, $Z \rightarrow \bar{b}b$)

- hadronic B decays:
 $B \rightarrow \pi K^{(*)}$, $B \rightarrow \rho K^{(*)}$,
 $B_s \rightarrow \rho\phi$, $B_s \rightarrow K\bar{K}$,
 $B_s \rightarrow K^+K^-$
- $b \rightarrow sll$, $l = e, \mu$

Idea:

Hierarchy betw. generations \Rightarrow Correlations betw. observables

Flavour Mixing & CP Violation in the SM

mass= 2.4 MeV	charge= $\frac{2}{3}$	spin= $\frac{1}{2}$	name= up	u
mass= 1.27 GeV	charge= $\frac{2}{3}$	spin= $\frac{1}{2}$	name= charm	c
mass= 171.2 GeV	charge= $\frac{2}{3}$	spin= $\frac{1}{2}$	name= top	t

mass= 4.8 MeV	charge= $-\frac{1}{3}$	spin= $\frac{1}{2}$	name= down	d
mass= 104 MeV	charge= $-\frac{1}{3}$	spin= $\frac{1}{2}$	name= strange	s
mass= 4.2 GeV	charge= $-\frac{1}{3}$	spin= $\frac{1}{2}$	name= bottom	b

<2.2 eV	V_e electron neutrino
0.17 MeV	V_μ muon neutrino
<15.5 MeV	V_τ tau neutrino

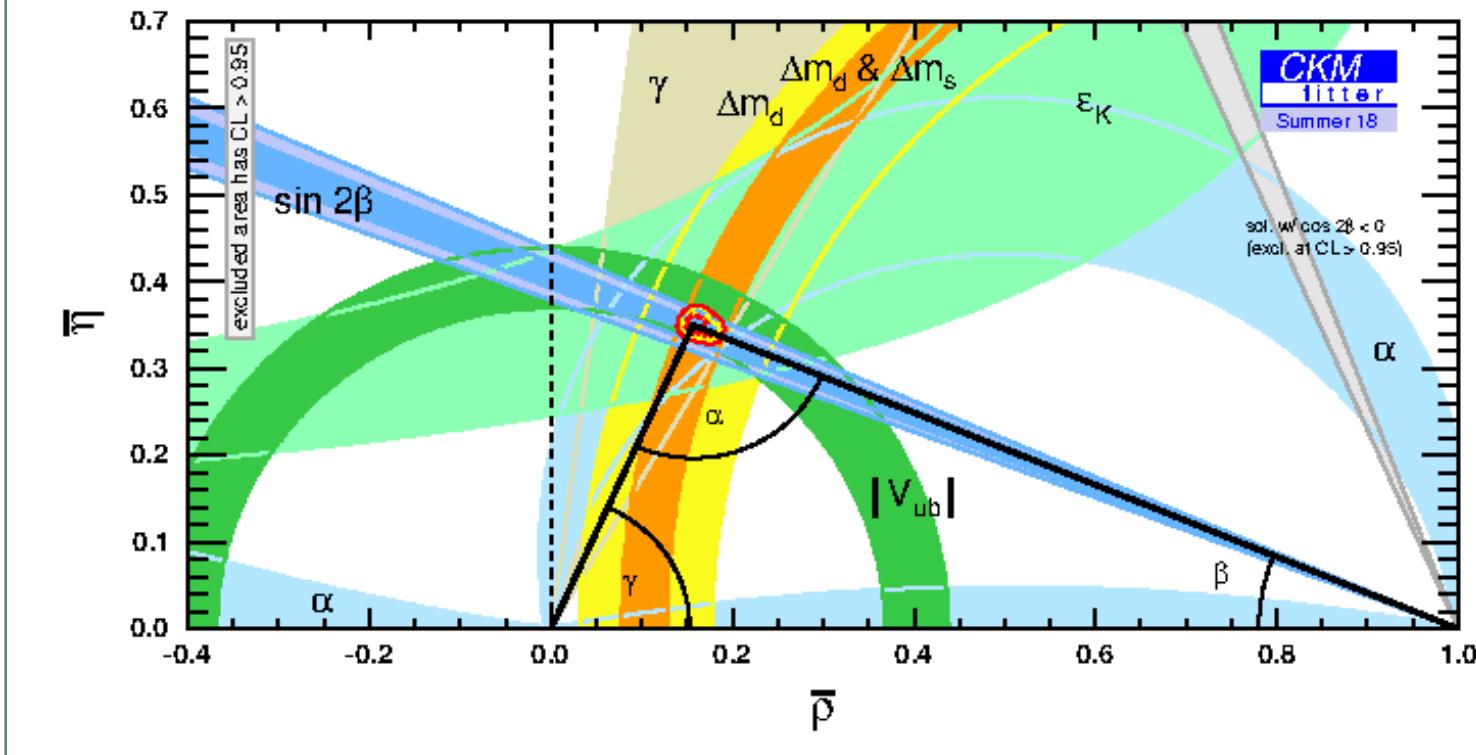
0.511 MeV	e electron
105.7 MeV	μ muon
1.777 GeV	τ tau



three generations \Rightarrow 3 angles & 1 phase, $\delta \Rightarrow$ CP violation

$$|V^{CKM}| = \begin{pmatrix} c_1 & -s_1 c_3 & -s_1 s_3 \\ s_1 c_1 & c_1 c_2 c_3 - s_2 s_3 e^{i\delta} & c_1 c_2 s_3 + s_2 c_3 e^{i\delta} \\ s_1 s_2 & c_1 s_2 c_3 + c_2 s_3 e^{i\delta} & c_1 s_2 s_3 - c_2 c_3 e^{i\delta} \end{pmatrix} = \begin{pmatrix} \text{green} & \text{green} & \cdot \\ \text{green} & \text{green} & \cdot \\ \cdot & \cdot & \text{green} \end{pmatrix}$$

\uparrow Close to diagonal. \Rightarrow Why?



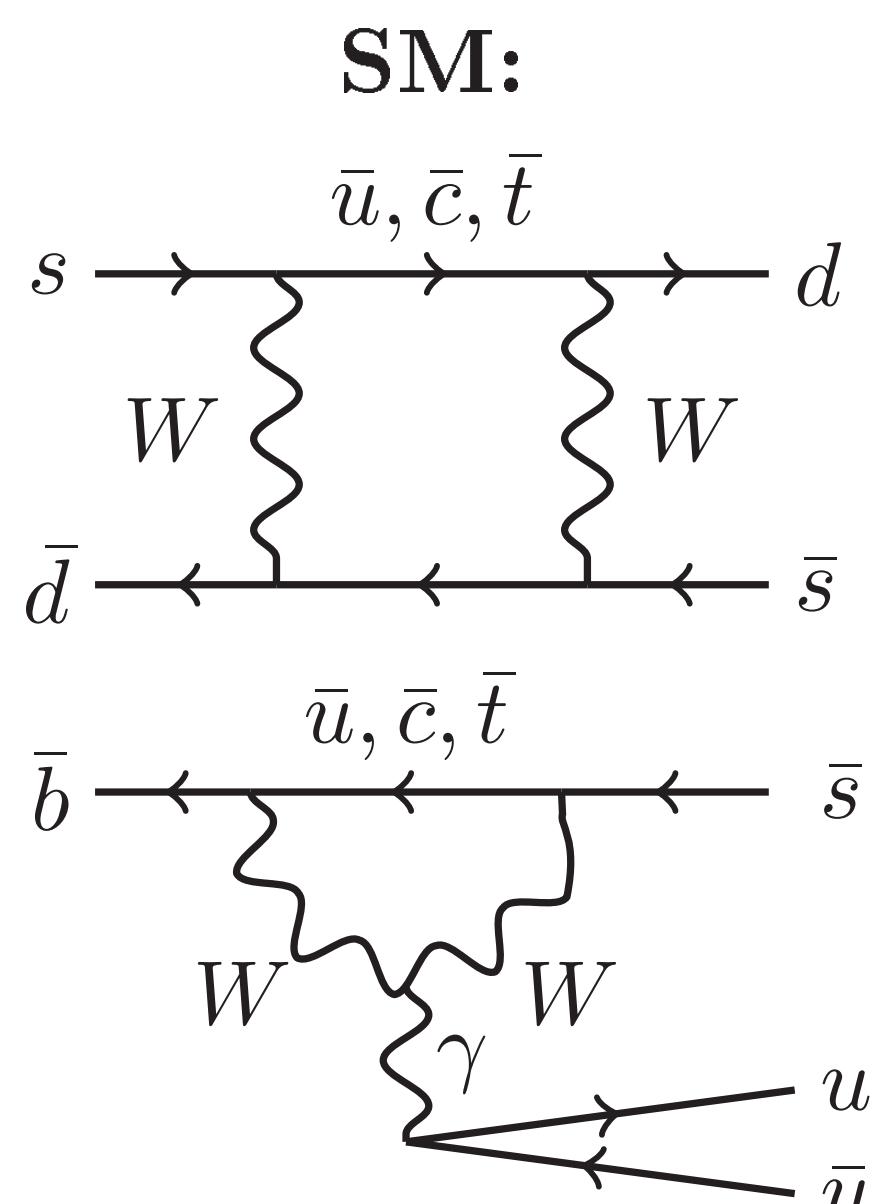
\Leftarrow "Flat" unitarity triangle.
 \Rightarrow Not enough CP violation to explain baryon asymmetry of the Universe
 \Rightarrow New sources of CP violation?

Beyond The SM: Z' models

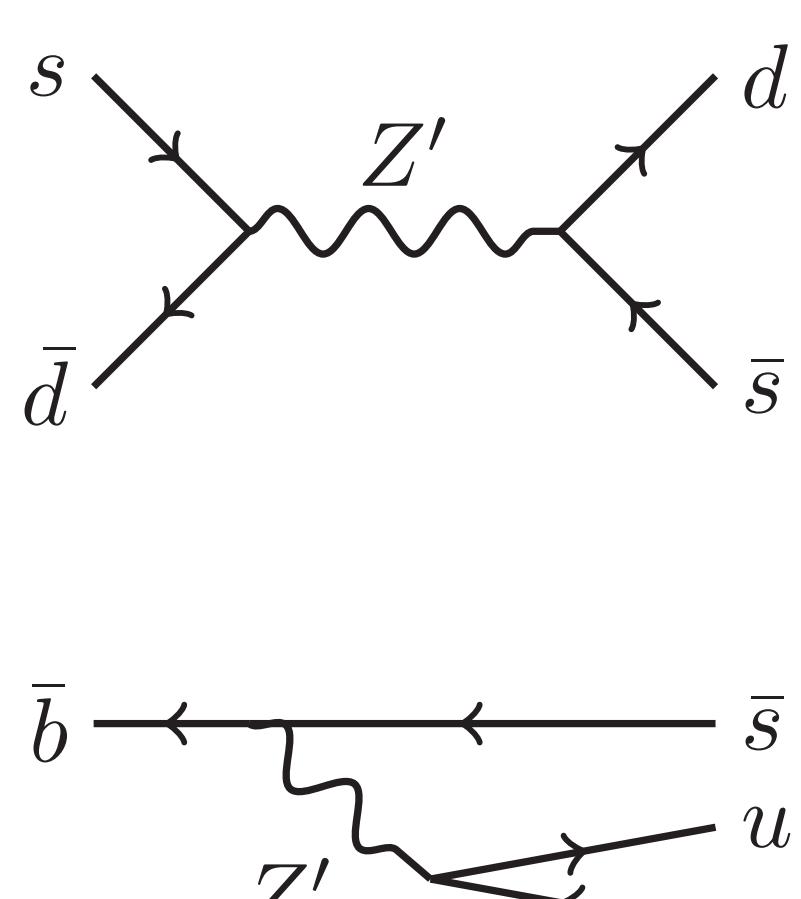
Z' models can explain ε'/ε , $B \rightarrow K\pi$ and $b \rightarrow sll$

$$\mathcal{L} = \sum_{f=u,d,\ell,\nu} \bar{f}_i \gamma^\mu (\Gamma_{ij}^{fL} P_L + \Gamma_{ij}^{fR} P_R) f_j Z'_\mu,$$

Simplest option: Z' boson from a $U(1)'$ gauge group



Z' models :



Constraints from $\Delta F = 2$ processes (e.g. $K\bar{K}$, $B_d\bar{B}_d$ mixing)

\Rightarrow upper bound on flavour-changing couplings to quarks:

$$\Gamma_{ij}^{u,d;L,R} < \Gamma_{ij}^{u,d;L,R}|_{max}, \quad i \neq j$$

$U(2)$ flavour symmetry ($U(2)^f$)

Large 3rd generation masses \Rightarrow approximate global $U(2)$ flavour symmetry

$$U(2)^f = U(2)_Q \times U(2)_u \times U(2)_d$$

	$U(2)_Q$	$U(2)_u$	$U(2)_d$
(Q_1, Q_2)	2	1	1
(u_1, u_2)	1	2	1
(d_1, d_2)	1	1	2
Q_3, u_3, d_3	1	1	1

massless doublets
heavy singlets

assumed to be respected by the gauge sector

Breaking of $U(2)$ flavour symmetry

$U(2)$ flavour symmetry can only be an **approximate** global symmetry:

- 1st & 2nd generation quark masses $\neq 0$
- off-diag. elements of CKM matrix are suppressed

Recipe for breaking $U(2)^f$:

1. Promote the symmetry breaking parameter to a field, the **spurion**.
2. Write down **invariant terms** for these new fields.
3. The symmetry is broken **dynamically** as the new terms are switched on.

Minimal choice of spurions

The spurions Δ_u , Δ_d , X_t and X_b

	$U(2)_Q$	$U(2)_u$	$U(2)_d$
Δ_u	2	$\bar{2}$	1
Δ_d	2	1	$\bar{2}$
X_t	2	1	1
X_b	2	1	1

allow for new terms in the Yukawa Lagrangian

$$\mathcal{L}_Y = Q_i Y^d_{ij} d_j H + Q_i Y^u_{ij} u_j \tilde{H}, +h.c.$$

$$\frac{Y^d}{y_b} = \begin{pmatrix} \Delta_d & X_b \\ 0 & 0 \end{pmatrix}, \quad \frac{Y^u}{y_t} = \begin{pmatrix} \Delta_u & X_t \\ 0 & 0 \end{pmatrix},$$

$$y_{t,b} = \frac{m_{t,b}}{v} \quad (v \approx 174 \text{ GeV}): \text{ Yukawa couplings of the 3rd gen. quarks}$$

Z' -couplings to quarks

Ingredients:

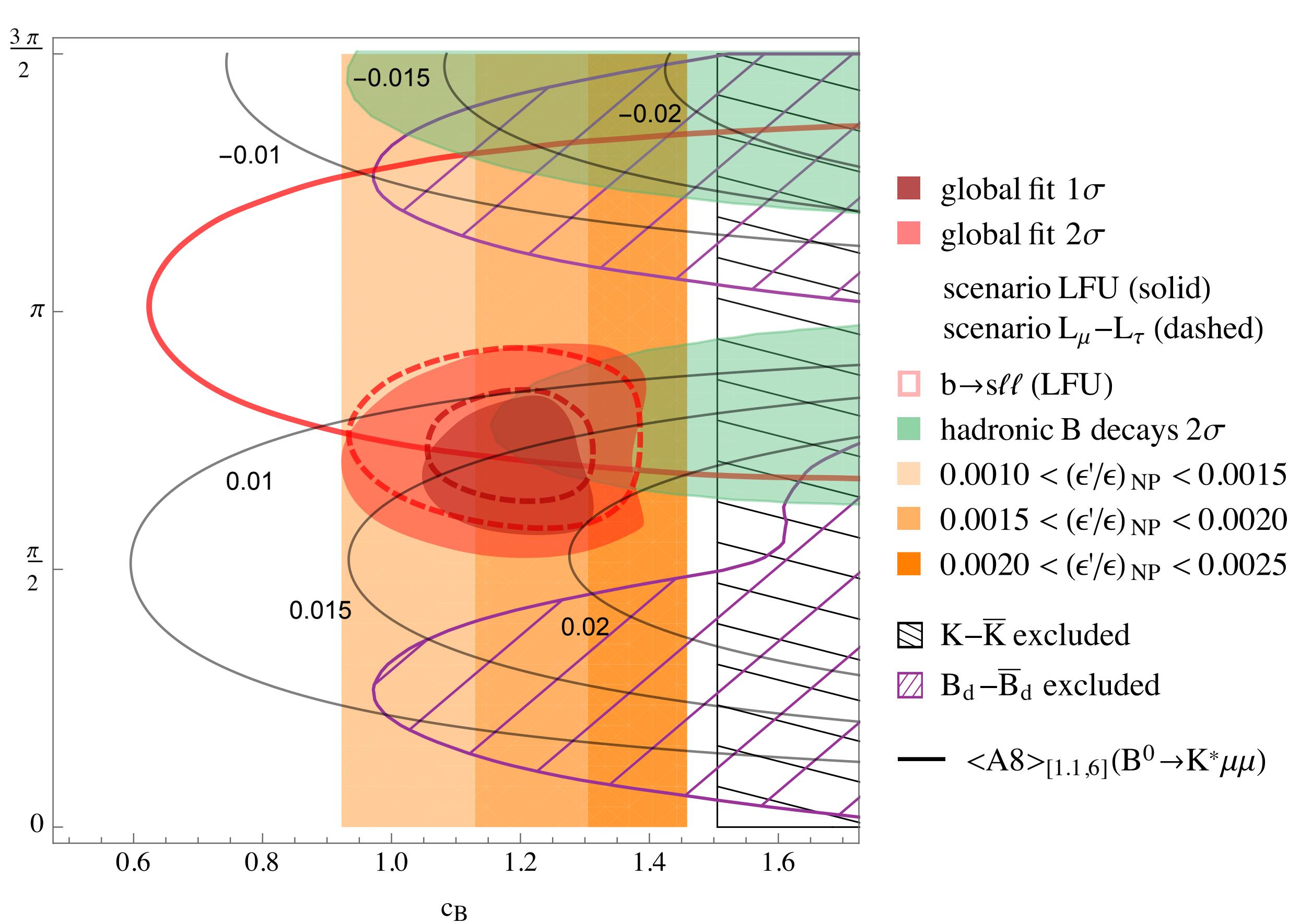
4 matrices diagonalising the Yukawas:

$U(1)'$ -charges of the quarks:

$$\begin{aligned} Q_Q &= \text{diag}(Q_{Q_{12}}, Q_{Q_{12}}, Q_{Q_3}) \\ Q_u &= \text{diag}(Q_{u_{12}}, Q_{u_{12}}, Q_{u_3}) \\ Q_d &= \text{diag}(Q_{d_{12}}, Q_{d_{12}}, Q_{d_3}) \end{aligned}$$

$$\begin{aligned} \Gamma^{uL} &\equiv g' V^{u\dagger} Q_Q V^u & \Gamma^{uR} &\equiv g' W^{u\dagger} Q_u W^u \\ \Gamma^{dL} &\equiv g' V^{d\dagger} Q_Q V^d & \Gamma^{dR} &\equiv g' W^{d\dagger} Q_d W^d \end{aligned}$$

Final Results



Conclusion

- postulated symmetries $\Rightarrow U(1)', U(2)^f$
- broken them in convenient ways \Rightarrow with spurions
- found correlations between observables that were unvisible before
 \Rightarrow simple relation between ε'/ε , hadronic B-decays and $b \rightarrow sll$!

This poster is based on arXiv:1910.00014 [hep-ph].