

PHY 117 HS2024

Today:

Circular motion

Integral = area

Forces

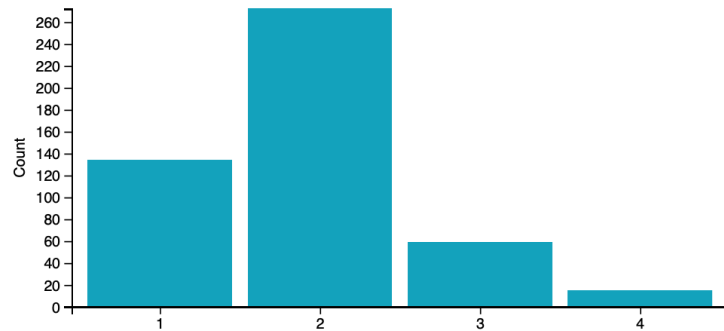
Newton's 3 Laws

Week 2, Lecture 1

Sept. 24, 2024

Prof. Ben Kilminster

What is your major at UZH ?



Legend

- 1: biology
- 2: biomedicine
- 3: biodiversity
- 4: other

Other majors:

Psychology (6)

Informatics/computer (4)

Educational sciences

Archaeology

Sociology

geography

English Literature and Linguistics

Survey 1: 482 participants

Minors

Astronomy and astrobiology iiiiii

History, society, politics iiiiii

Biomedicine iiiiii

Neuroinformatics iiiiii

Earth systems iiiii

Biodiversity iiiii

Biology iiiii

Chemistry iiiii

Mathematics ii

Business ii

Banking & finance ii

Geography ii

Bioinformatics ii

Informatics / computing ii

Math i

Economics i

Media & communications i

Probability & statistics i

Cultural contexts

Sociology

Archaeology

Ethics

Anthropology

Political science

Ethnology

Biochemistry

Film studies

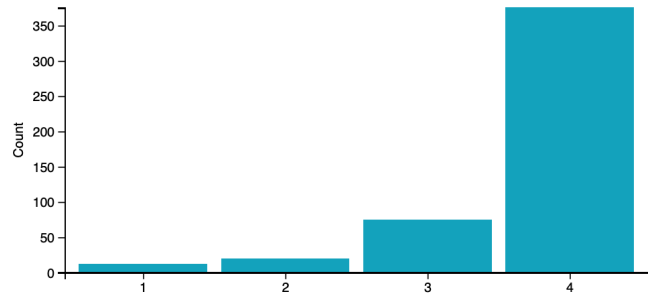
Environmental science

Philosophy

Psychology

English

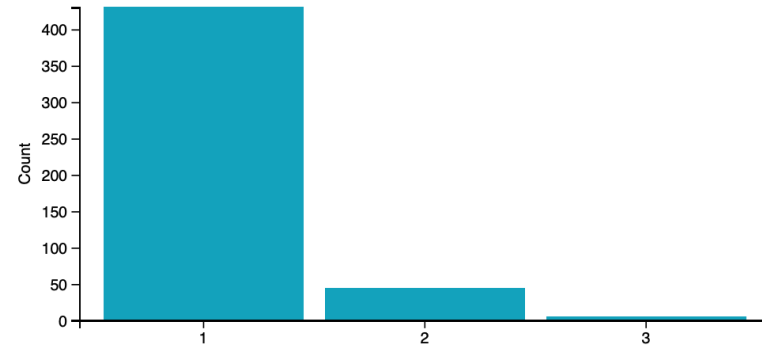
How many semesters of physics did you take in Gymnasium?



Legend

- 1: 0
- 2: 1
- 3: 2
- 4: more than 2

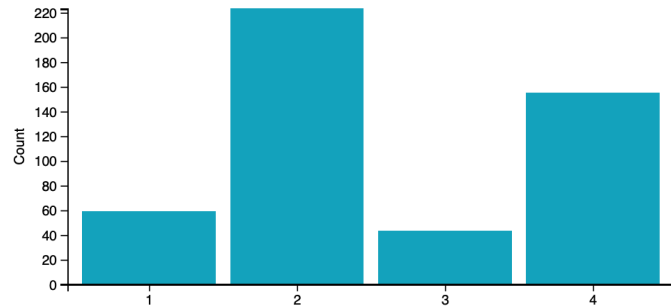
Are you taking MAT 182 ?



Legend

- 1: Yes
- 2: No
- 3: Not yet decided

Which statement fits you best ?



Legend

- 1: I enjoy physics and I do quite well in it.
- 2: I enjoy physics but I am not very good at it.
- 3: I don't enjoy physics, but I do quite well in it.
- 4: I don't enjoy physics, and I am not very good at it.

Is there something specific you want to learn in physics this semester ?

Physics related to biomedicine in order to understand the bigger picture and the physical forces in biology

How to pass the exams

deeper understanding of electromagnetism

how to get good at physics

astrophysics topics if possible =)

Relation of physics with Chemistry

Nuclear physics, Radioactivity

Just how things work

Thermodynamics

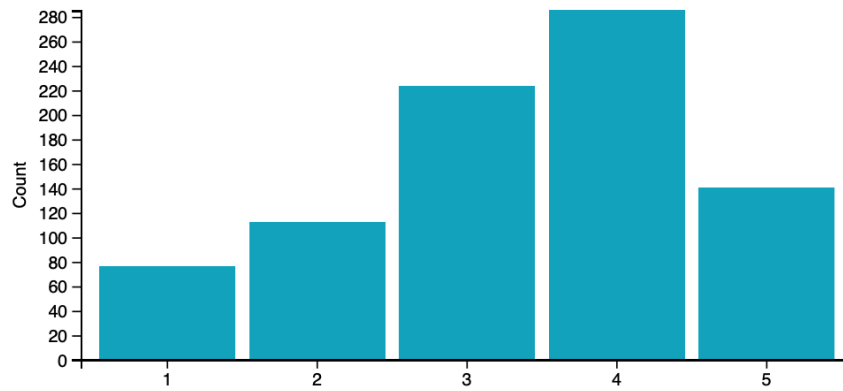
Everything 🤔

personally, how to learn physics in an effective way to achieve best results

Acceleration in various experiments
Electrical circuit

Quantum physics, Heisenberg uncertainty principle

Check all of the following statements that are true

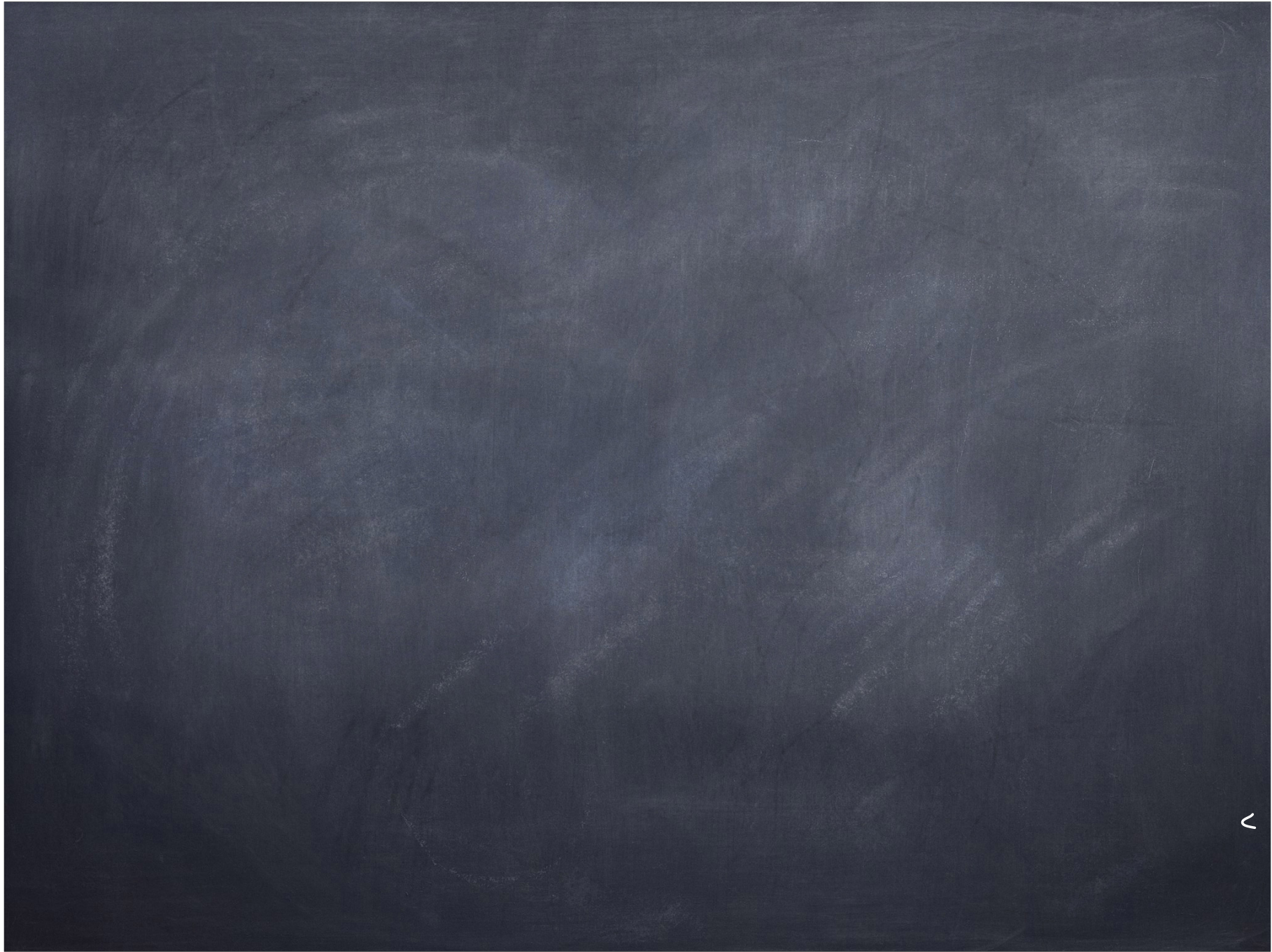


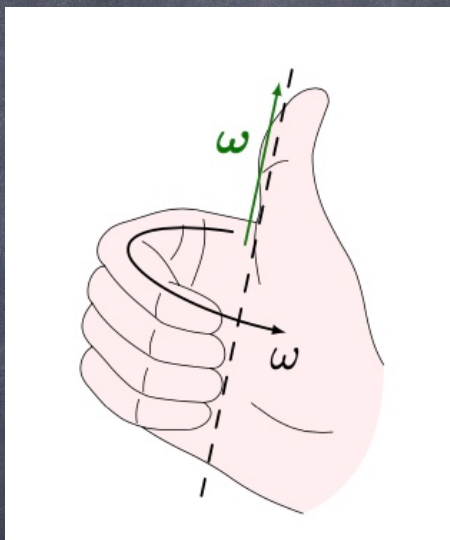
Legend

- 1: A unit vector has a magnitude of zero.
- 2: If a particle is moving at a constant velocity, the slope of distance vs. time will be zero.
- 3: The position of a simple harmonic oscillator repeats in a time of $2\pi/\omega$.
- 4: On the moon, a metal ball and a feather thrown from one astronaut to another would have the same parabolic motion.
- 5: The acceleration of an object moving in a circle points in the same direction as the velocity.

F
F
T
T
F





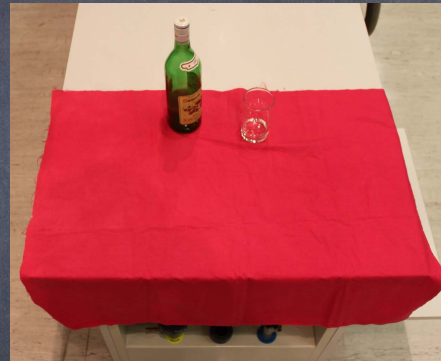
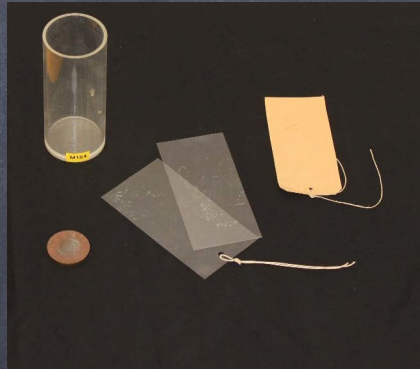




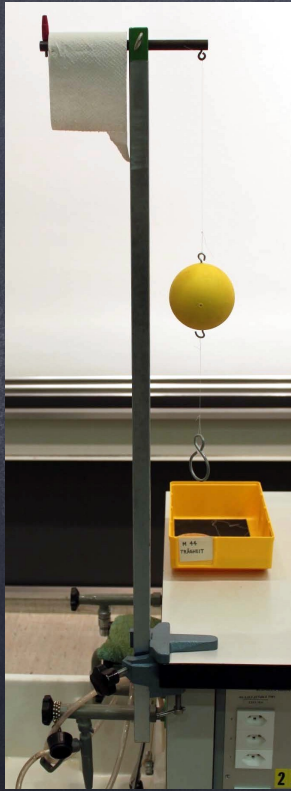




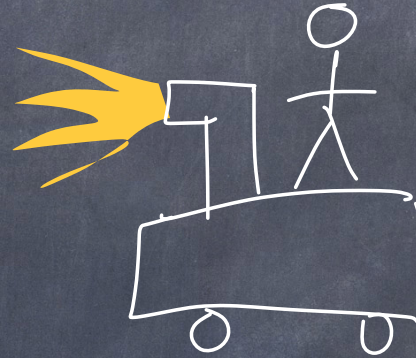












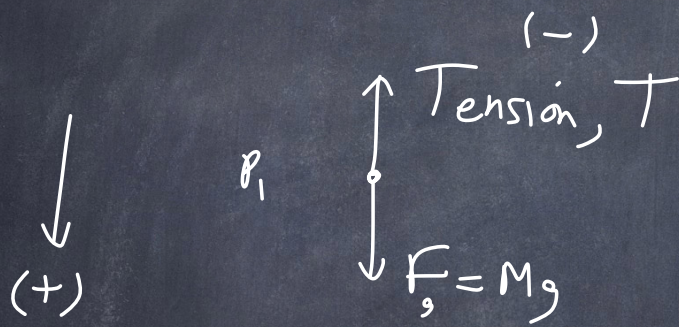
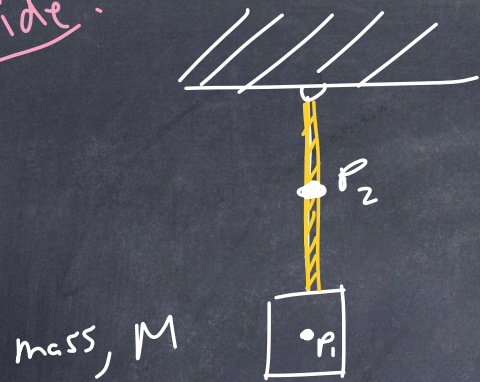








Aside:



If we use vectors for \vec{F}_g and \vec{T} , then we don't need to explicitly put negative signs in our sum, $\Sigma \vec{F}$.

$$\Sigma \vec{F} = \vec{F}_g + \vec{T} = 0$$

$$\text{then } \vec{T} = -\vec{F}_g$$

$$\text{so } \vec{F}_g = Mg \downarrow$$
$$\vec{T} = -Mg \uparrow$$

Exercise:

A mass M hangs from a string to the ceiling.

Draw the forces acting at P_1 .
What about P_2 ?

If we use T and F_g as scalars, then we need to keep track of negative signs.

We state T is in $(-)$ direction

$$\Sigma F = F_g - T = 0 = ma$$

$$\text{and } T = F_g$$

But we must specify the direction

$$F_g = Mg \text{ in } (+) \text{ direction}$$

$$T = Mg \text{ in } (-) \text{ direction}$$

In both cases F_g points down
& T points up.

Aside:

Sometimes people write $\frac{df(x)}{dx}$ as $f'(x)$.
These two are the same.

$$\text{Since } \frac{df(x)}{dx} = f'(x) \Rightarrow df(x) = f'(x) dx$$

And if you take the integral
of both sides:

$$\int df(x) = \int f'(x) dx$$

This becomes:

$$f(x) = \int f'(x) dx$$

which is the definition of
an integral

$$\text{Also, } \frac{d^2 f(x)}{dx^2} = f''(x)$$

